



The slide is titled "Content of presentation". It lists the following points:

1. Introduction
2. The details points will be presented :
 - 2.1 The new corrosion model comparing with others models and the assumed data to defined the depth the corrosion of the ship structure
 - 2.2 Various Parameters Influence the Ultimate Strength of the plate
 - 2.3 Application : ULS capacity of the tanker ship including effect the corrosion
 - ULS capacity of the plates, and panels
 - The Progressive hull girder collapse analysis
3. Summary and conclusions

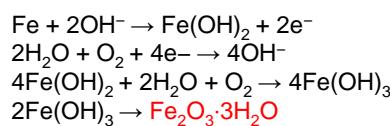


□ Computational comparison between PULS theory and other candidate models discussing ULS capacity of the plates and stiffened panels subject to the corrosion

□ Computational comparison between CSR and other candidate models discussing progressive collapse of the hull girder subject to the corrosion



Atmospheric corrosion



Temperature cycle of day and night
(Dew occurs under upper plate)



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Corrosion models

- ✓ Electrochemical corrosion
- ✓ Pitting corrosion

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Corrosion models

The candidates models

- The corrosion model is based to this equation :
$$d(t) = d_{\infty} \left[1 - \exp \left(- \left(\frac{t - T_{st}}{\eta} \right)^{\beta} \right) \right] \quad \text{If } t > T_{st}$$
- If $\beta=1$ then we get [the Guedes Soares and Garbatov model](#):
$$d(t) = d_{\infty} \left[1 - \exp \left(- \left(\frac{t - T_{st}}{\eta} \right) \right) \right]$$
- If $\eta=1$ by using Taylor series we keep the first term linear we [get the Paik /al model](#) :

$$d(t) = d_{\infty} (t - T_{st})^{\beta}$$
- Finally if we take $\beta=0.6257$, $d_{\infty} = 0.1207$ and $T_{st} = 0$, we get [the Melcher model](#):

$$d(t) = 0.1207 t^{0.6257}$$

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Solve basic equation using LSM

$$d(t) = d_{\infty} \left[1 - \exp \left(- \left(\frac{t - T_{\infty}}{\eta} \right)^{\beta} \right) \right]$$

Using the least squares method we get the Model (1):

$$\begin{aligned} & \frac{1}{1 - \frac{d(t)}{d_{\infty}}} = \exp \left(\left(\frac{t - T_{\infty}}{\eta} \right)^{\beta} \right) \longrightarrow \ln \left[\frac{1}{1 - \frac{d(t)}{d_{\infty}}} \right] = \beta \ln(t - T_{\infty}) - \beta \ln(\eta) \\ \longrightarrow & \bar{x} = \frac{1}{n} \sum_{i=1}^n \ln \left[\frac{1}{1 - \frac{d(t_i)}{d_{\infty}}} \right] \quad \beta = \frac{\left\{ n \sum_{i=1}^n \ln(t_i) \ln \left[\frac{1}{1 - \frac{d(t_i)}{d_{\infty}}} \right] \right\} - \left\{ \sum_{i=1}^n \ln \left[\frac{1}{1 - \frac{d(t_i)}{d_{\infty}}} \right] \sum_{i=1}^n \ln(t_i) \right\}}{\left\{ n \sum_{i=1}^n (\ln(t_i))^2 \right\} - \left\{ \sum_{i=1}^n \ln(t_i) \right\}^2} \\ & \bar{t} = \frac{1}{n} \sum_{i=1}^n \ln(t_i) \quad \eta = \exp \left(\bar{v} - \frac{\bar{x}}{\beta} \right) \end{aligned}$$

$$d(t) = d_{\infty} \left[1 - \exp \left(- \left(\frac{t - T_{\infty}}{\frac{\bar{x}}{\beta}} \right)^{\beta} \right) \right]$$

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Describe the new model (2) from the assumption of the Paik/al ,keep the second order of Taylor series :

$$d(t) = d_{\infty} \left(\left(\frac{t - T_{\infty}}{\eta} \right)^{\beta} - \frac{1}{2} \left(\frac{t - T_{\infty}}{\eta} \right)^{2\beta} \right)$$

To make computation we take for : $d_{\infty} = 3.3 \text{ mm}, T_{\infty} = 5 \text{ years}$



For new model developing as follow Paik/al model : we made analysis of flexibility to the distribution of the rate corrosion to fixe two parameters β and η .

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Corrosion models

The flexibility of the rate corrosion distribution

$$r(t) = \begin{cases} 0 & \text{if } t < T_{st} \\ \frac{\beta}{\eta} \left(\frac{t - T_{st}}{\eta} \right)^{\beta-1} \exp\left(-\left(\frac{t - T_{st}}{\eta}\right)^{\beta}\right) & \text{otherwise} \end{cases}$$

rate corrosion (mm/year) at $\eta=12$

rate the corrosion (mm/year) at $\eta=15$

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Corrosion models

The reference data : ABS ref and the assumed data (ref paper Shengping Qin and Weicheng Cui School of Naval Architecture and Ocean Engineering, Shanghai Jiao Tong University, Shanghai, 200030, China)

The thickness loss (mm)

The relative thickness loss (%)

The data ref ABS

The assumed data (ref paper Shengping Qin and Weicheng Cui School of Naval Architecture and Ocean Engineering, Shanghai Jiao Tong University, Shanghai, 200030, China)

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Parameters	β	η	D inf
Run 1	0.62	20	3.3
Run 2	0.7	19.3	3.3

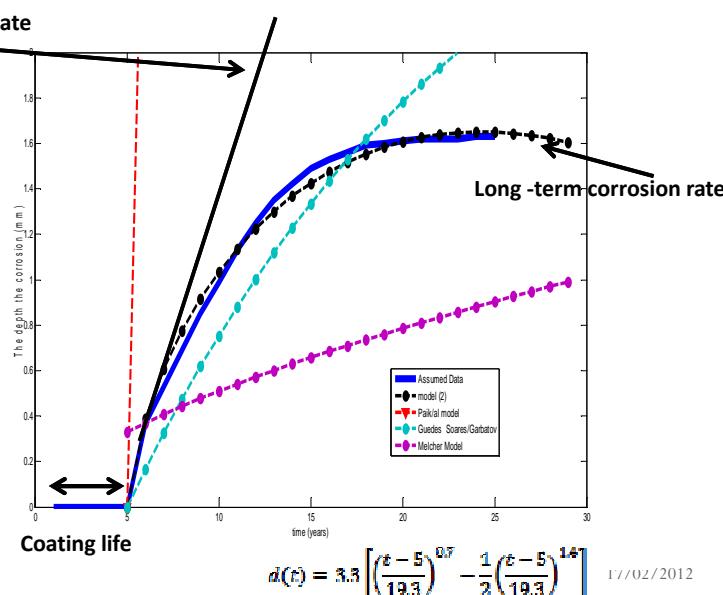
For $\beta=[0.62,0.7]$ we describe the ratio between the parameters β and η equal to :

$$\frac{\eta}{\beta} = 30$$

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Initial corrosion rate



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The flexibility of the rate corrosion distribution

Basic equation

$$r(t) = \begin{cases} 0 & \text{if } t < T_{st} \\ d_\infty \frac{\beta}{\eta} \left(\frac{t - T_{st}}{\eta} \right)^{\beta-1} \exp \left(- \left(\frac{t - T_{st}}{\eta} \right)^\beta \right) & \text{otherwise} \end{cases}$$

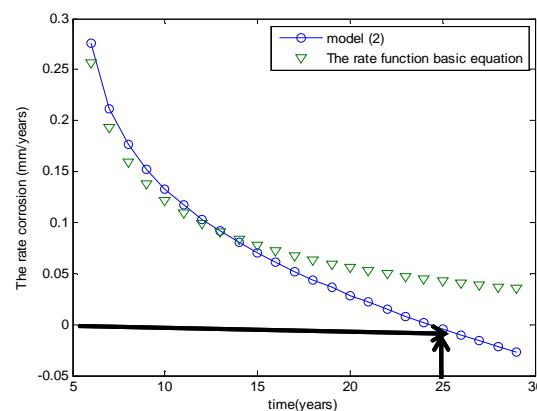
New Model

$$r(t) = \begin{cases} 0 & \text{if } t < T_{st} \\ d_\infty \frac{\beta}{\eta} \left\{ \left(\frac{t - T_{st}}{\eta} \right)^{\beta-1} - \left(\frac{t - T_{st}}{\eta} \right)^\beta \right\} & \text{otherwise} \end{cases}$$

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The flexibility of the rate corrosion distribution



$$\lim_{t \rightarrow \infty} r(t) = 0$$

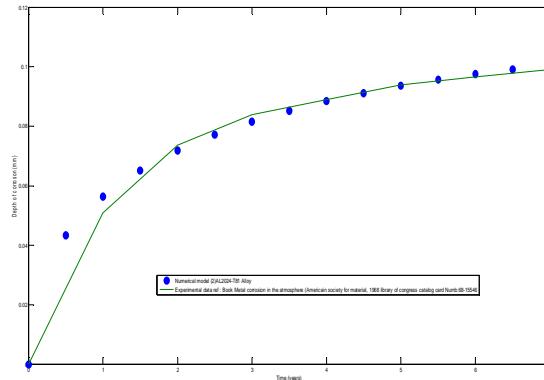
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Corrosion models



Ref. experimental data: Book Metal corrosion in the atmosphere (1968 library of congress catalog card Numb: 68-15546).



Depth of corrosion versus time for Al2024-T81 Alloy

$$d(t) = 0.215 \left[\left(\frac{t}{13.5} \right)^{0.45} - \frac{1}{2} \left(\frac{t}{13.5} \right)^{0.9} \right]$$

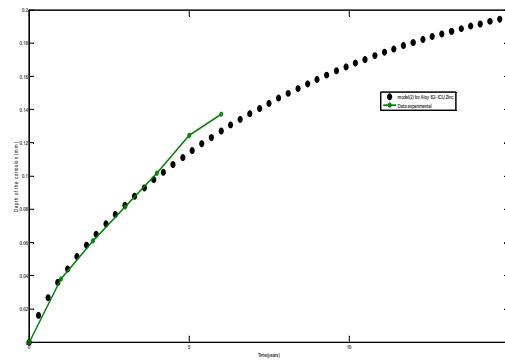
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Corrosion models



Ref. experimental data: Book Metal corrosion in the atmosphere (1968 library of congress catalog card Numb: 68-15546).

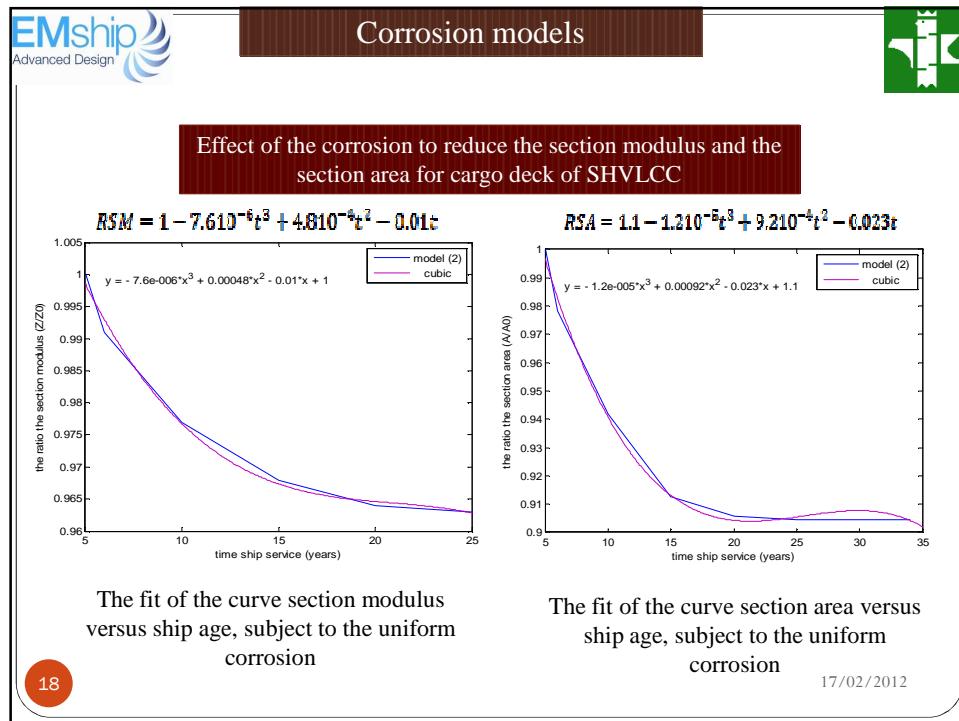
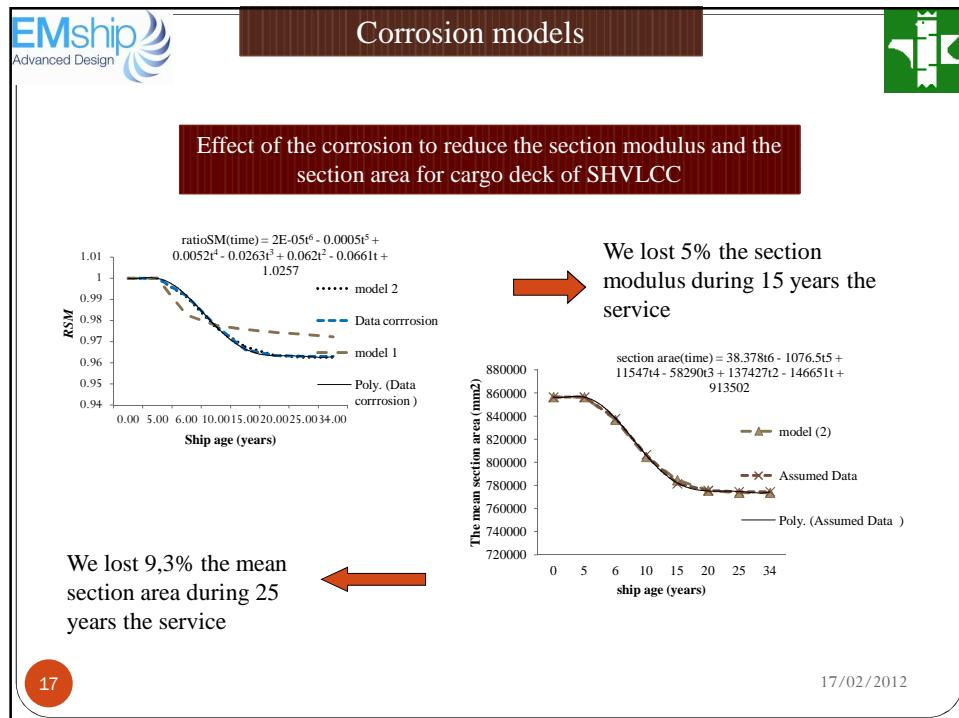


Depth of corrosion versus time for Alloy 62-ICU Zinc

$$d(t) = 0.42 \left[\left(\frac{t}{22.5} \right)^{0.75} - \frac{1}{2} \left(\frac{t}{22.5} \right)^{1.5} \right]$$

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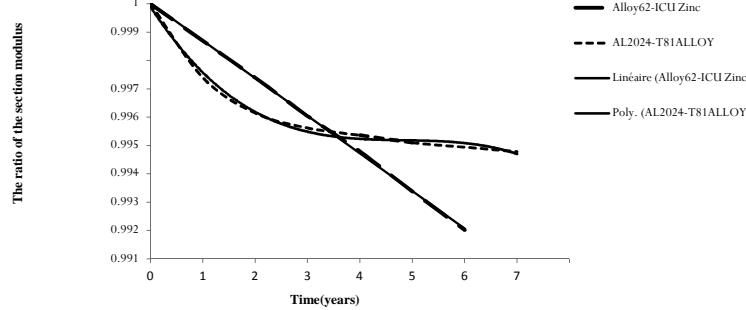
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Effect of the corrosion to reduce the section modulus using the aluminium and zinc material

$$\text{RSM aluminum}(t) = -4E-05t^3 + 0,0006t^2 - 0,0029t + 0,9999$$

$$\text{RSM zinc}(t) = -0,0013t + 1$$

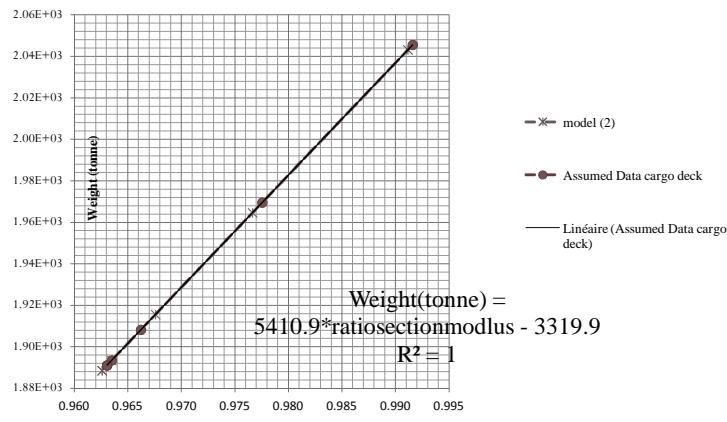


The fit curve section modulus versus ship age, subject to the uniform corrosion

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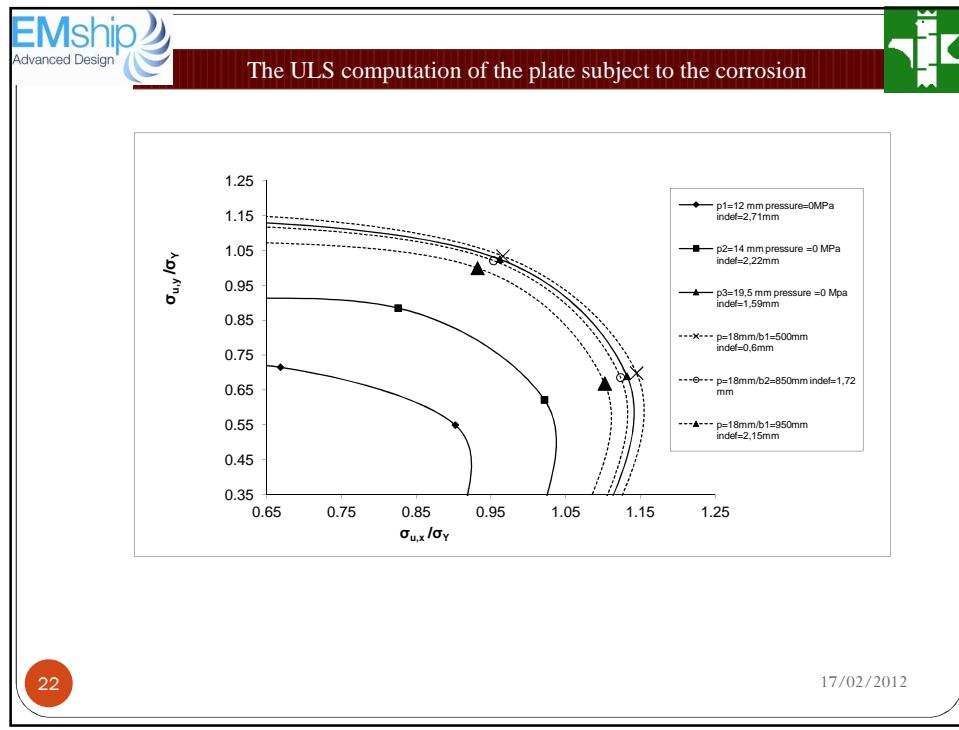
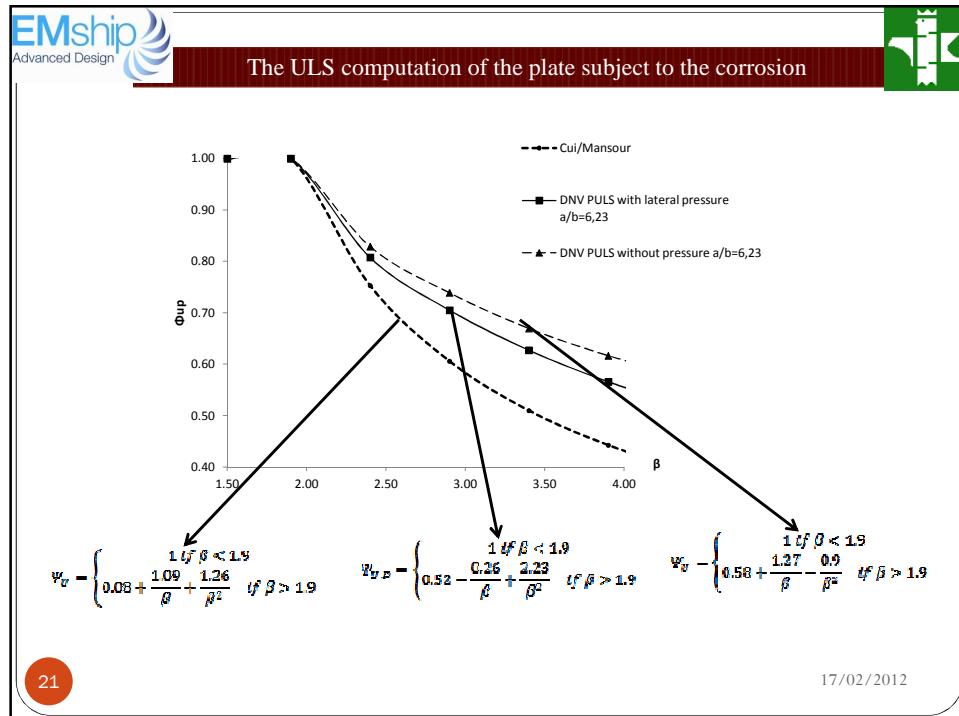
Correlation between weight and ratio of the section modulus of the cargo deck SHVLCC



$$\text{Weight (tonne)} = 5410.9 * \text{RSM} - 3319.9$$

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Reduction the ultimate strength the plate		
Hogging	Bottom 1	8.10%
	Bottom2	8.54%
	lower longitudinal bulkhead	7.91%
	Lower side	8.98%
Sagging	Deck1	8.90%
	Deck2	8.48%
	upper longitudinal bulkhead	9.35%
	Upper side	7.97%

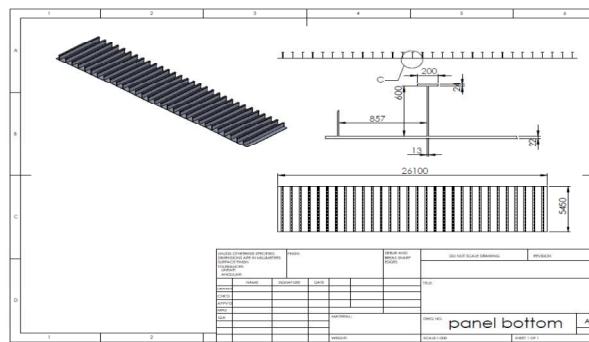
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The dimension of the stiffened panel bottom 1

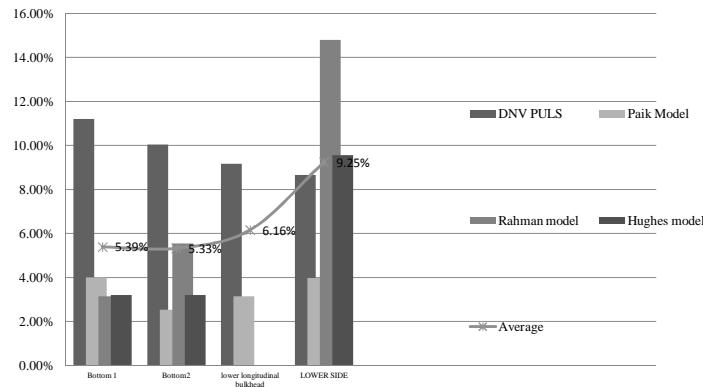
Element	ei (breath) mm	bi(height) mm
Effective plating	870,00	22
Web	13	600
Flange	200	24
The neutrale axis:Zg	181,64	mm
λ	0,25	
β	1,38	
be (effectif width)	0,804	m



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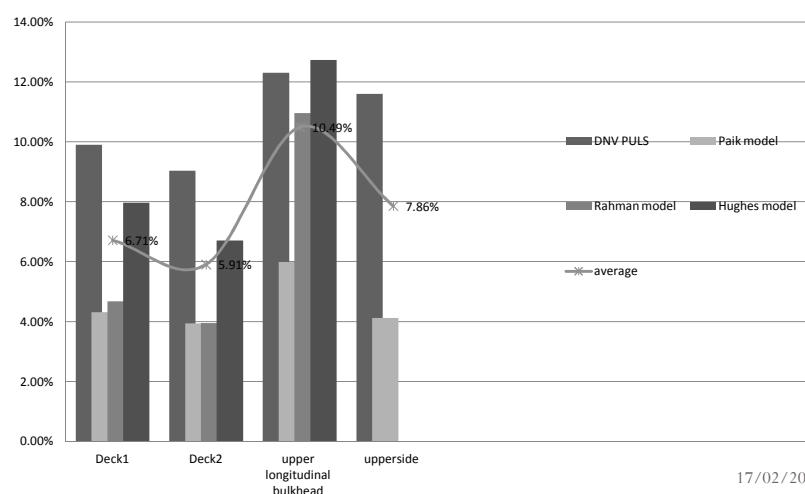
The reduction the ULS of the stiffened panel (effect the uniform corrosion) in hogging



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The reduction the ULS of the stiffened panels (effect the uniform corrosion) in sagging



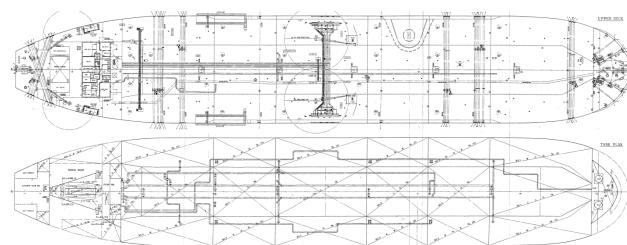
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SHIP MAIN PARTICULARS

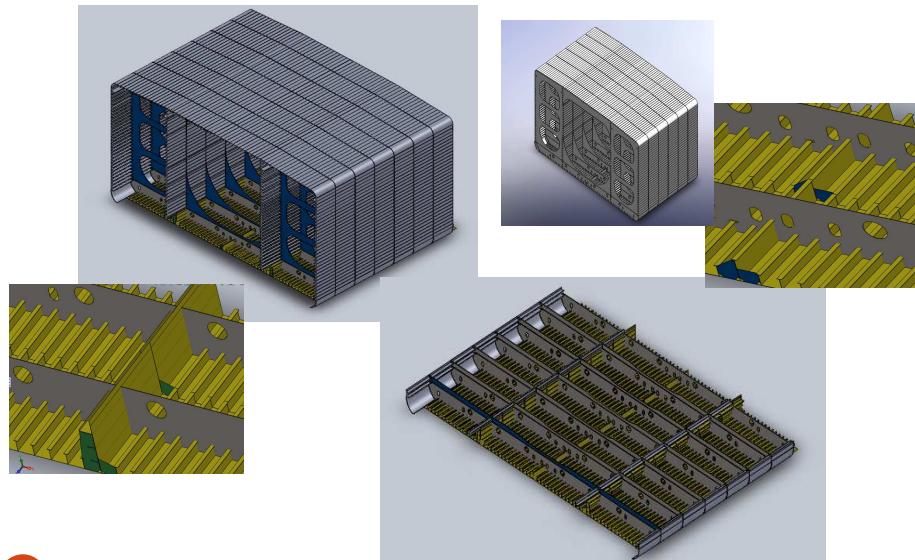
Length O.A of the tanker ship	L	311	m
Breadth of the tanker ship	B	57.2	m
Bloc coefficient	C _B	0.84	
Design speed	V	15.4	Kn
Depth of ship	D	30.4	m
Dead-weight	DWT	284497	



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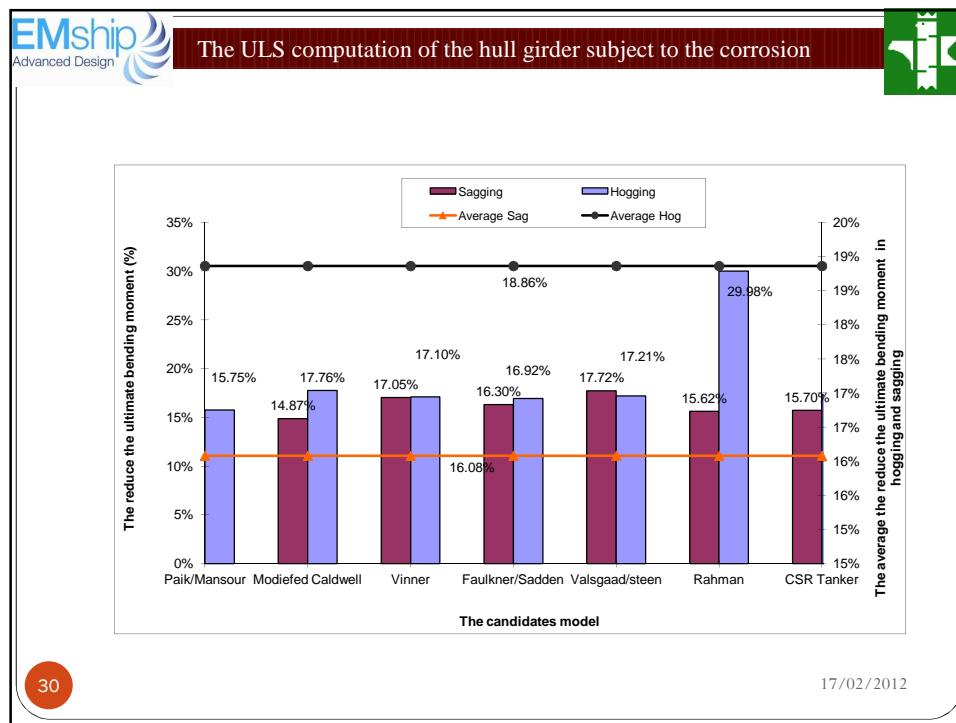
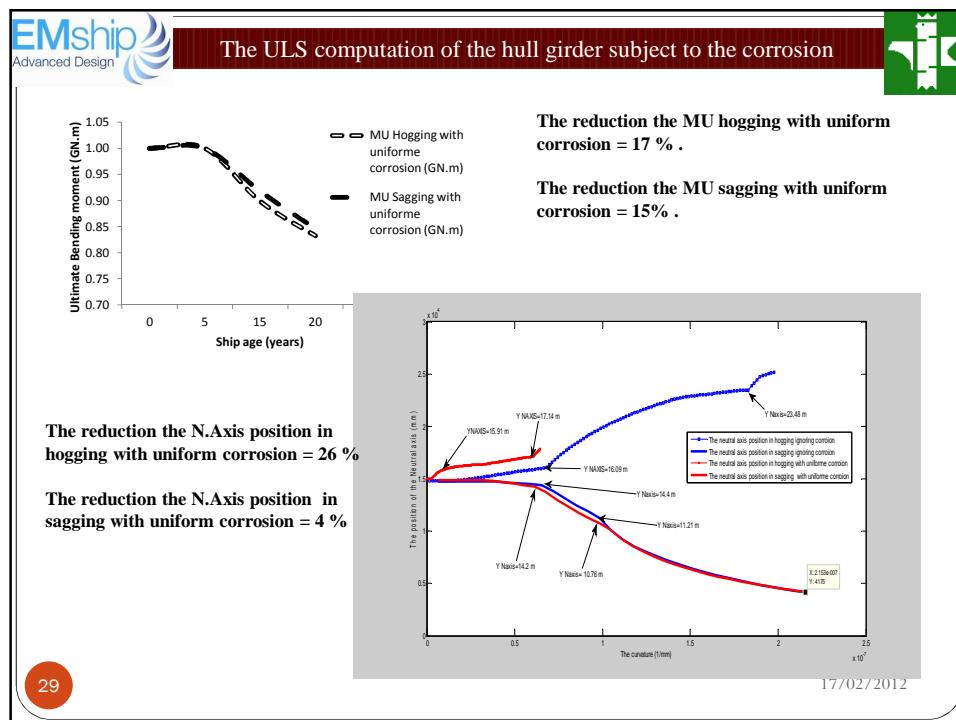
The general arrangement of the upper deck and the tank plan

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❖ keep the model (2) :

$$d(t) = d_\infty \left(\left(\frac{t - T_{st}}{\eta} \right)^6 - \frac{1}{2} \left(\frac{t - T_{st}}{\eta} \right)^{20} \right)$$

❖ Reduce 5% the section modulus during 15 years the service subject to the uniform corrosion.

❖ Reduce 9,3% the mean section area during 25 years the service subject to the uniform corrosion.

$$\text{Weight (tonne)} = 5410.9 * RSM - 3319.9$$

❖ Reduce 8% the ultimate strength capacity of the plate .

❖ Reduce 5-9% the ultimate strength capacity of the stiffened panels .

❖ The reduction the MU hogging with uniform corrosion = 18.86 %.

❖ The reduction the MU sagging with uniform corrosion = 16%.

❖ The reduction the N.Axis position hogging with uniform corrosion = 26 %.

❖ The reduction the N.Axis position sagging with uniform corrosion = 4 %.

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Dziękuję za uwagę

Thank you for your attention

أشكركم على اهتمامكم

Merci pour votre attention

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